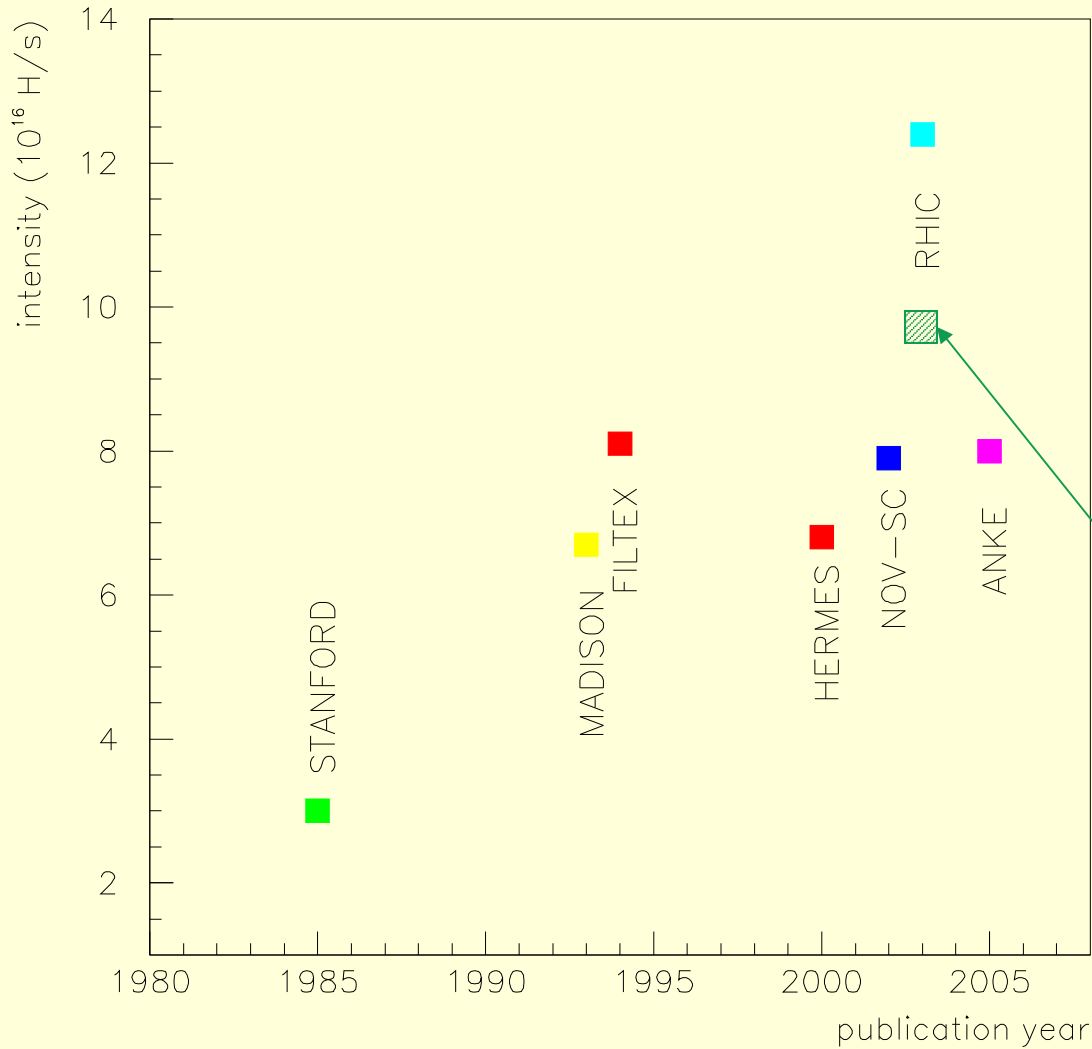


# Calculating the intensity of an Atomic Beam Source

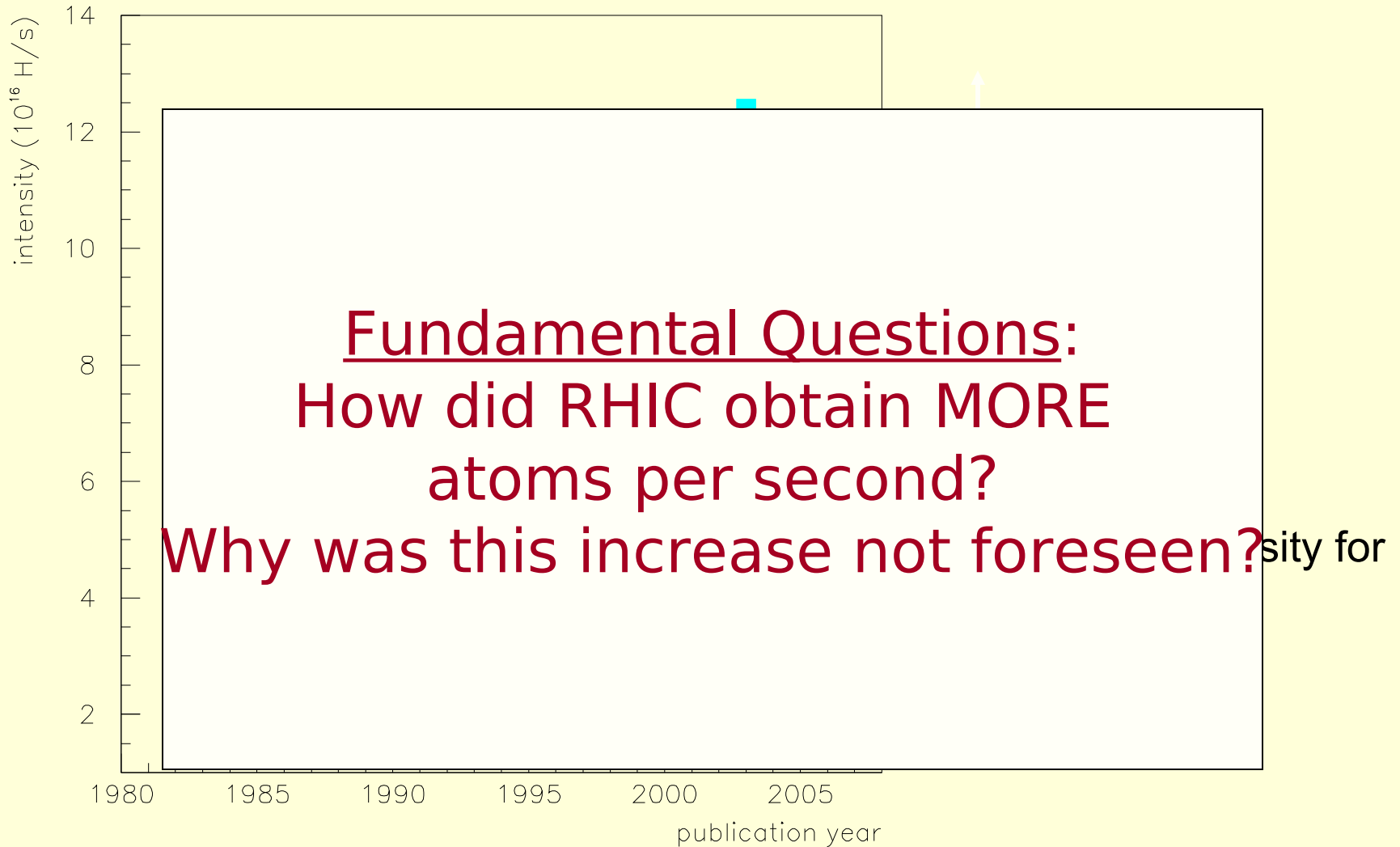
# The last 30 years of Polarized ABS



Increase has  
no concrete  
explanation!

Predicted Intensity for  
RHIC source!?

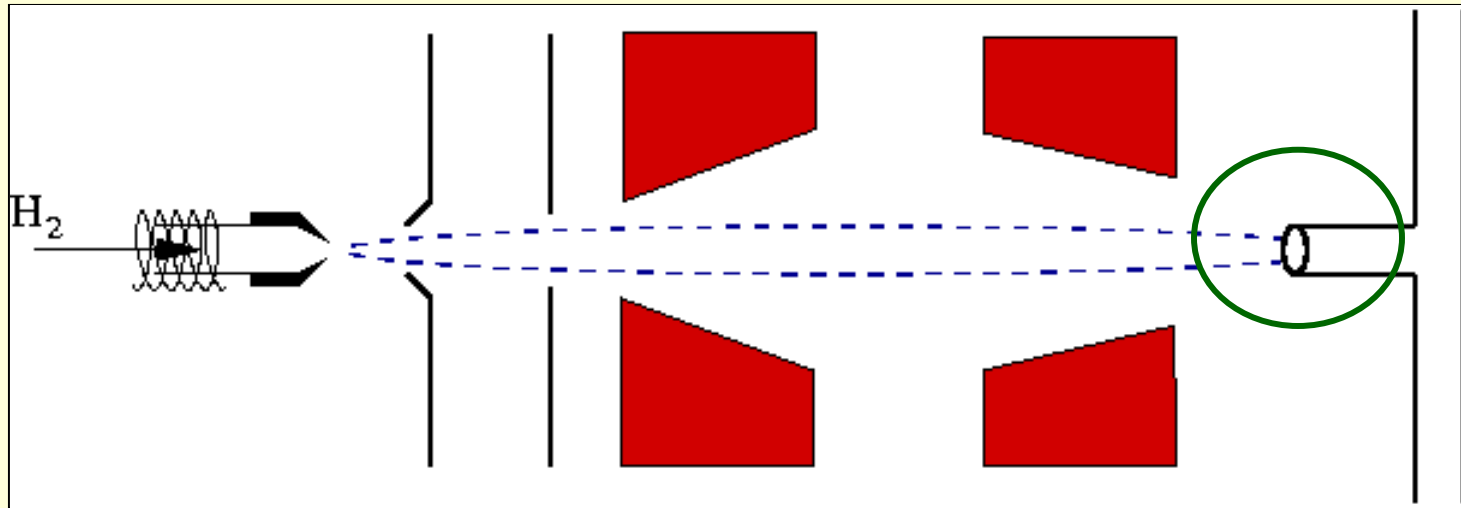
# The last 30 years of Polarized ABS



# Intensity Predictions

$$\underline{Q_{\text{out}}} = 2 \alpha Q_{\text{in}} n_f \text{ft} (1-A)$$

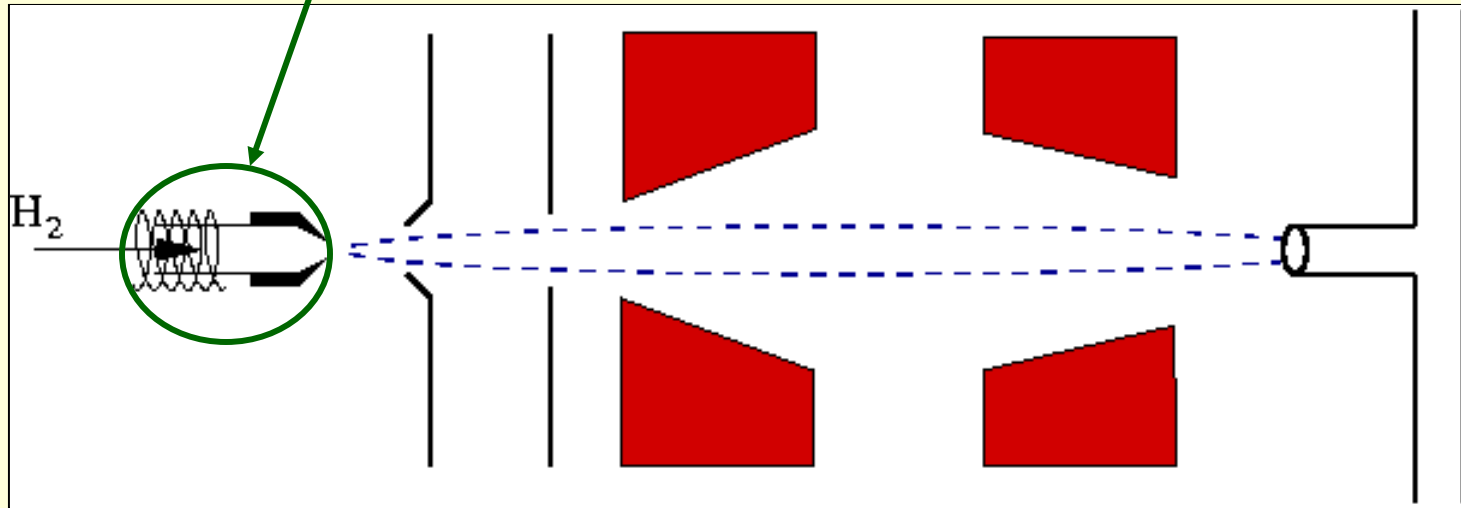
Final Intensity  
(atoms/s)



# Intensity Predictions

$$Q_{\text{out}} = 2 \underbrace{\alpha Q_{\text{in}}}_{\text{Number of atoms leaving the dissociator}} n_f \text{ft} (1-A)$$

Number of atoms leaving the dissociator

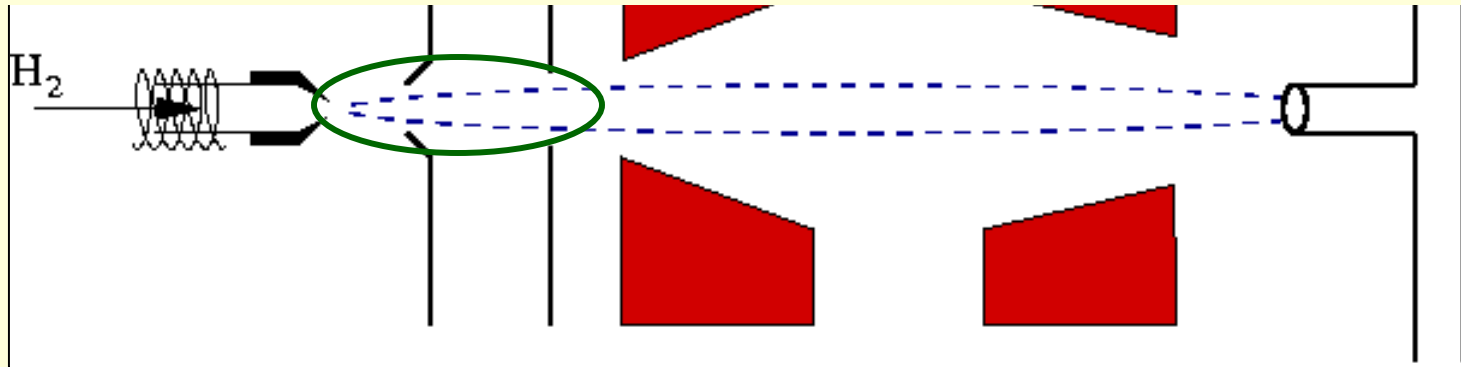


# Intensity Predictions

$$Q_{\text{out}} = 2 \alpha Q_{\text{in}} n_f f (1-A)$$

$n_f f$  is the fraction of nozzle flow which passes through the skimmer

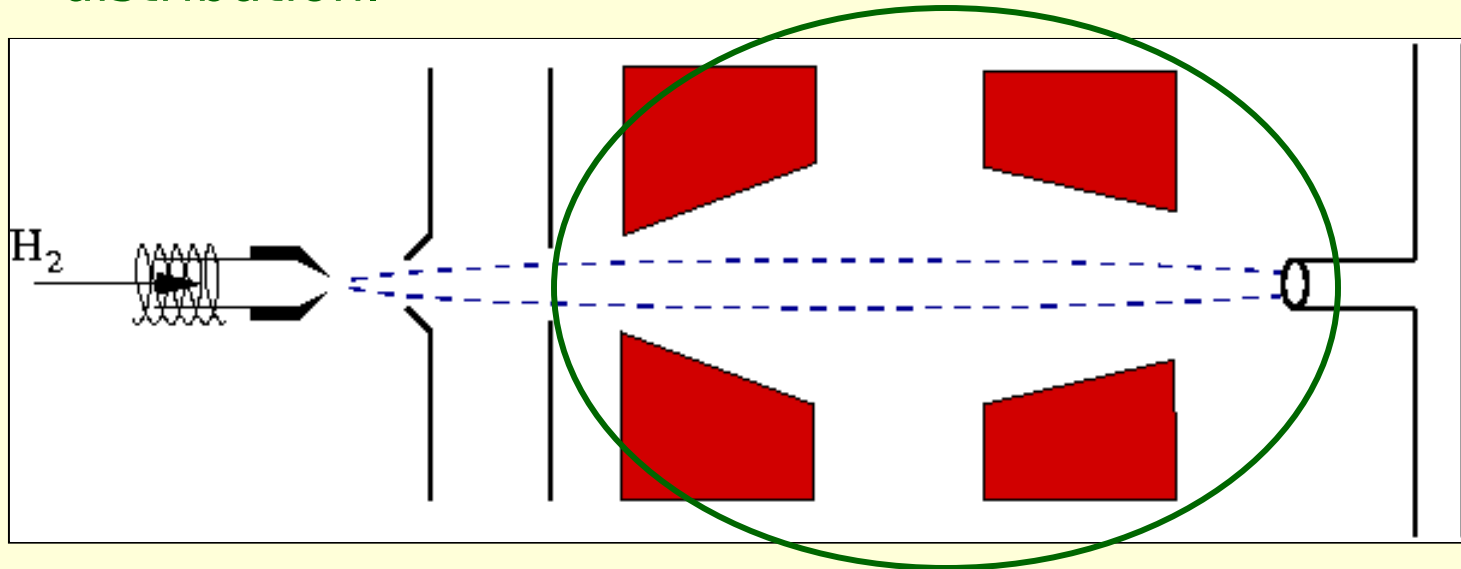
- $f$  is geometrical (acceptance of first magnet for an effusive beam from a point-like source at the nozzle exit).
- $n_f$  is the peaking factor (quantifies the forward peaking, or non-effusive nature, of the beam)



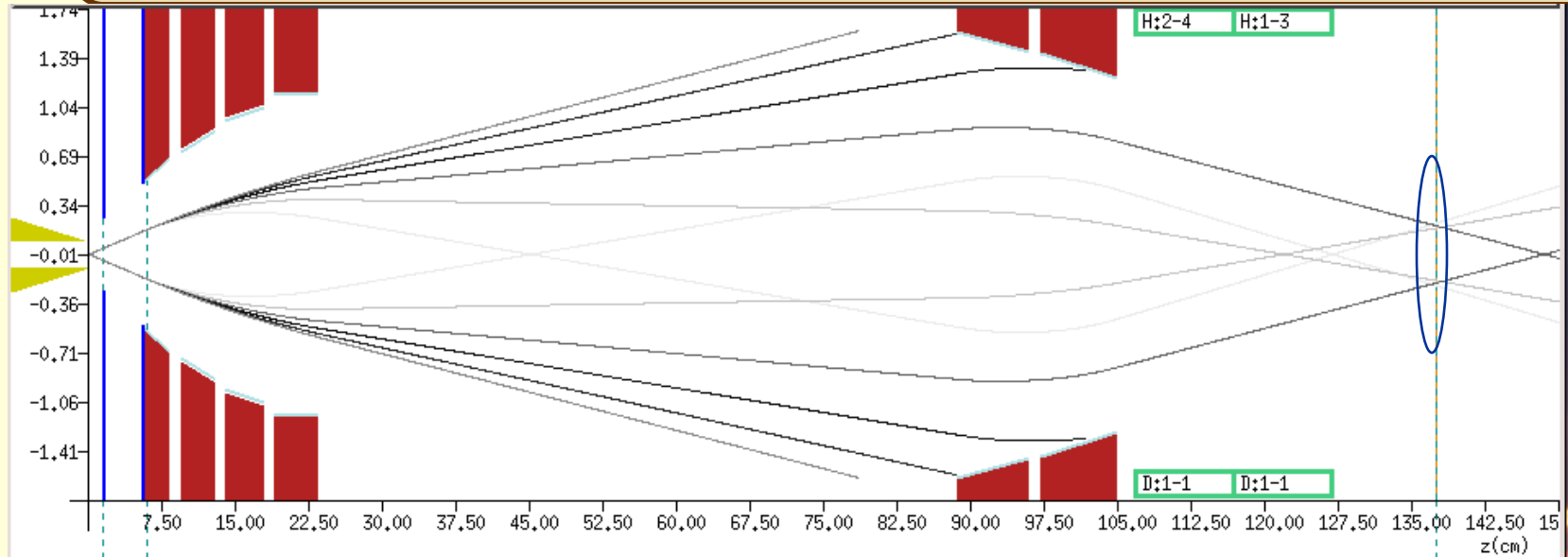
# Intensity Predictions

$$Q_{\text{out}} = 2 \alpha Q_{\text{in}} n_f \mathbf{t} (1-A)$$

**t** is the probability that the magnet system focuses an atom of the correct spin. It depends on the magnet strength and the velocity distribution.

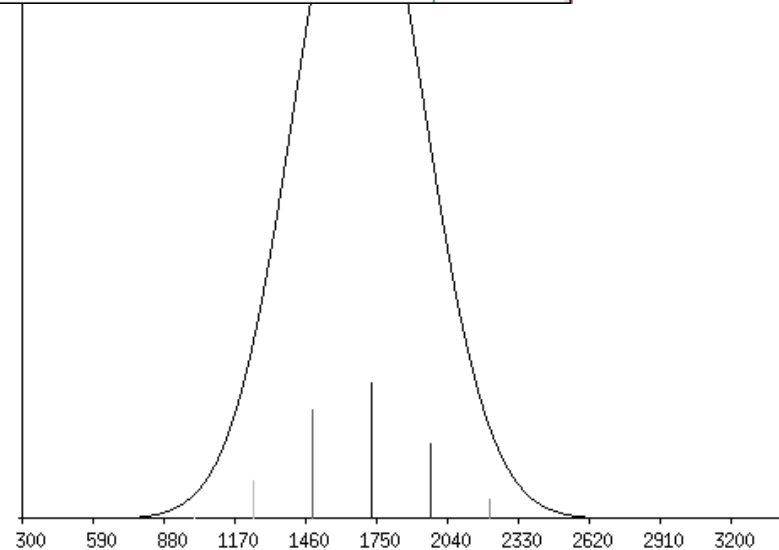


# Magnet Transmission t



For 100000 tracks . . .

- Start from random point in the nozzle for start
- Select random direction from isotropic distribution
- Select random velocity from distribution
- Follow atom's trajectory through magnetic field
- Count how many enter the target





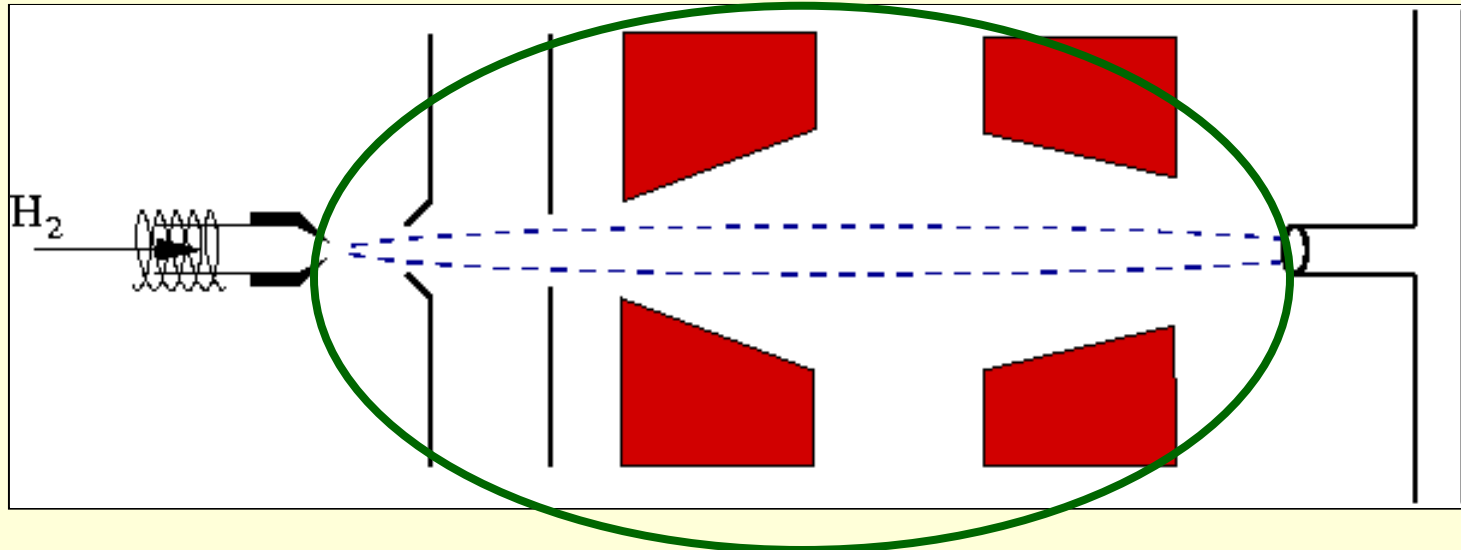
# Intensity Predictions

$$Q_{\text{out}} = 2 \alpha Q_{\text{in}} n_f f t (1-A)$$

**A** is the fraction of the beam lost to attenuation

- Rest Gas Attenuation (RGA): collisions of beam atoms with chamber rest gas
- Intra Beam Scattering (IBS): collisions of two beam atoms

$$(1-A) = (1-A_{\text{RGA}})(1-A_{\text{IBS}})$$



# Intensity Predictions

$$Q_{\text{out}} = 2 \alpha Q_{\text{in}} n_f \text{ft} (1-A)$$

- Standard formula in ABS community
- Magnet transmission calculation method standard
- “Starting generators” differ, but with only small changes in results
- Used by RHIC group to optimize magnet system  
NIMA**556** (2006) 1-12
  - $A_{\text{IBS}} = 0$  (no method to estimate)
  - $n_f = 1.15$  (molecular beam value)  
closer to 1.6 for atomic beam?
  - $A_{\text{RGA}}$  estimated from molecular beam measurements
  - Refined estimate of  $A_{\text{RGA}}$  after optimization using defocused atoms. Only ratio to WISC source for

# Comparison of existing sources

	Herme	Nov	Wisc	ANKE	RHIC
$Q_{in}$ (mbar l/s)	15	0.6	1.7	1.0	1.0
$\alpha$	0.82	0.90	0.75	0.85	0.85
$B_{pt}$ (T)/ $d_{mag}$ (cm)	1.5/0.86	3.2/1.	1.5/1.	1.7/1.0	1.5/1.
f (geom.)	0.47%	0.99%	0.70%	0.85%	0.79%
t	0.48	0.79	0.39	0.41	0.49
$v_{drift}$ (m/s)	1953	1750	~149	~1778	~153
$T_{beam}$ (K)	25.0	30.0	~16.5	~20.3	~18
length (m)	1.16	1.40	0.99	1.24	1.37
$d_{ct}$ (cm)	1.0	2.0	1.0	1.0	0.9
$Q_{out}$ ( $10^{16}$ )	6.8	6.7	7.8	7.5	12.4

# Theorist's point of view

$$Q_{\text{out}} = 2 \alpha Q_{\text{in}} n_{\text{eff}} (1 - A_{\text{RGA}}) (1 - A_{\text{IBS}})$$

# Experimentalist's Point of View

## What is physically different?

- Dissociator cooling
  - Narrows velocity distribution?  $\Rightarrow$  reduced IBS losses
  - Increases peaking factor?  $\Rightarrow$  more beam into magnets
- Magnet system longer and more open
  - Lower beam density for same beam flow  $\Rightarrow$  reduced IBS losses

# Dissociator Cooling

RHIC

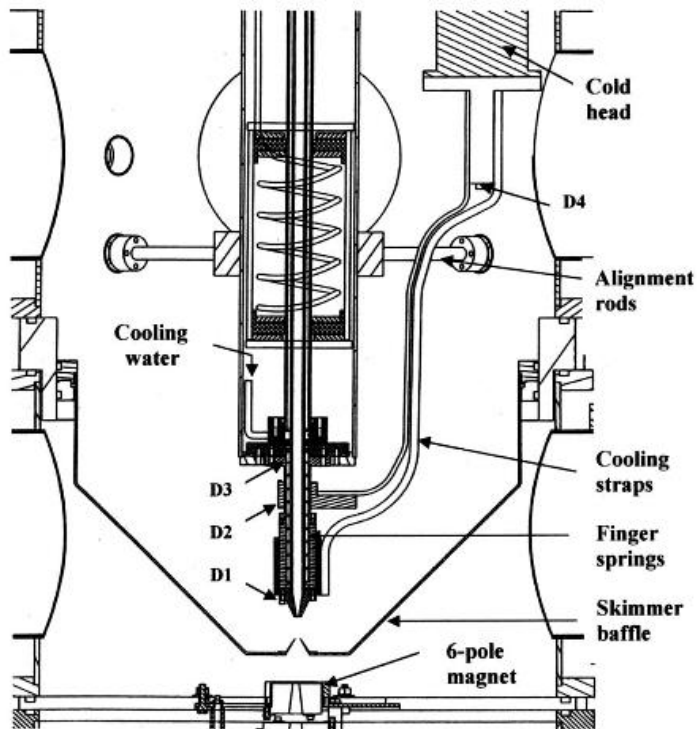
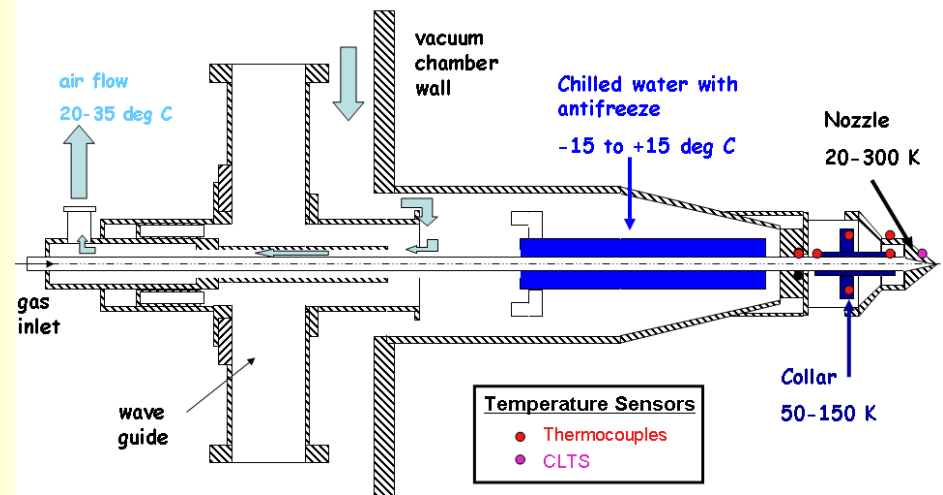
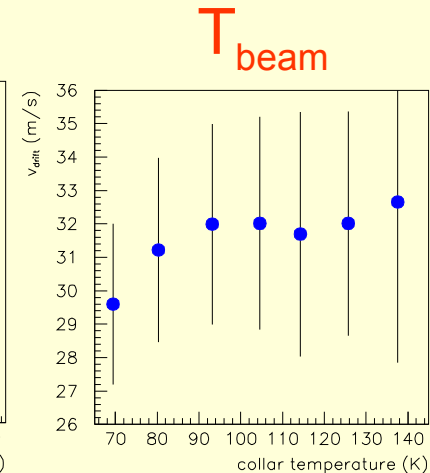
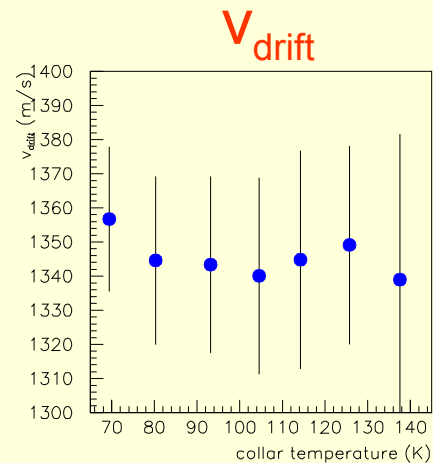
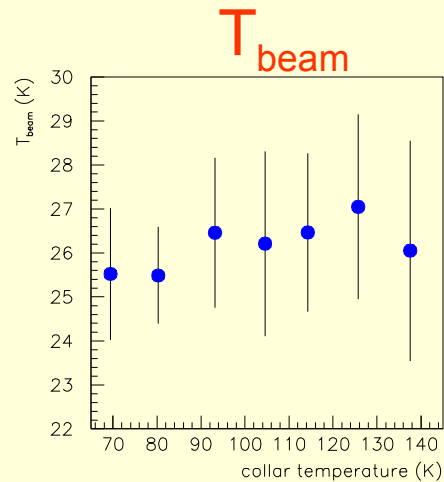
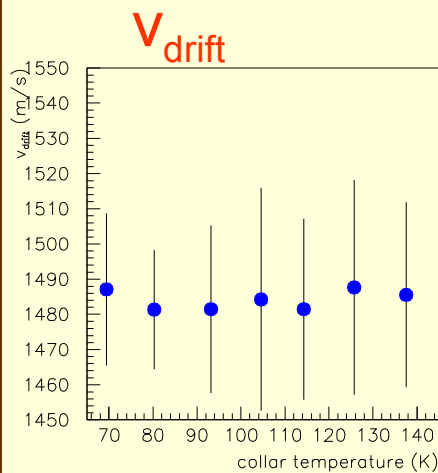
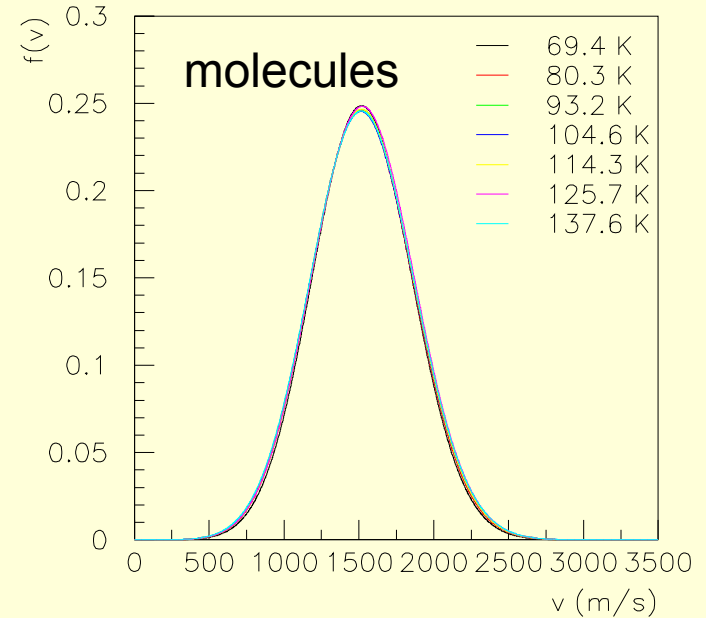
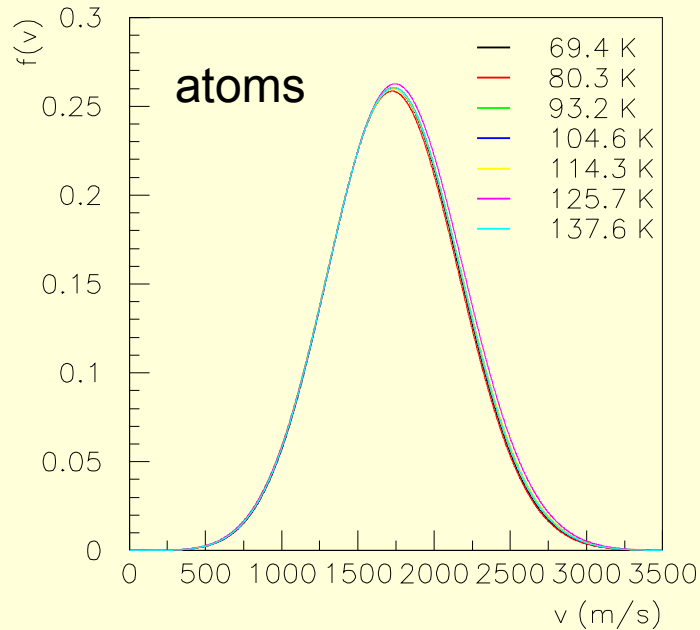


Fig. 2. The dissociator and adjustable skimmer assembly. D1-D5: silicon diode temperature sensors.

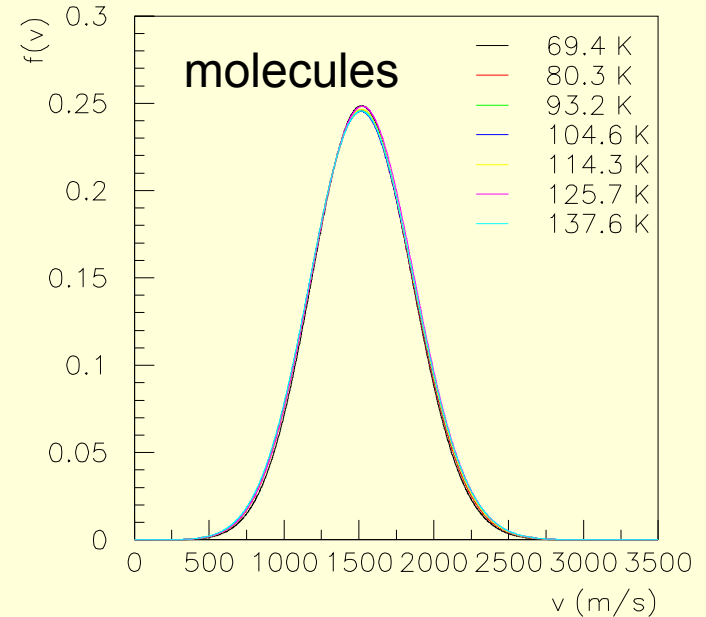
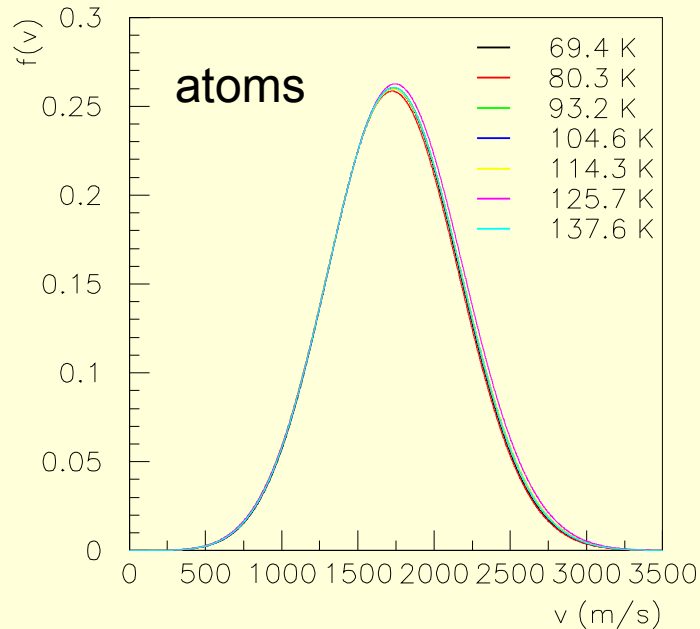
SPINLAB



# SpinLab Results



# SpinLab Results



**Velocity Distribution does not change with collar temperature!**

Four small plots showing the relationship between velocity and collar temperature. The top-left plot shows velocity  $v$  (m/s) on the y-axis (1450 to 1550) and collar temperature (K) on the x-axis (70 to 140). The top-right plot shows velocity  $v$  (m/s) on the y-axis (1480 to 1520) and collar temperature (K) on the x-axis (70 to 140). The bottom-left plot shows velocity  $v$  (m/s) on the y-axis (1300 to 1310) and collar temperature (K) on the x-axis (70 to 140). The bottom-right plot shows velocity  $v$  (m/s) on the y-axis (26 to 27) and collar temperature (K) on the x-axis (70 to 140). All plots show a nearly horizontal line, indicating that velocity is independent of collar temperature.

collar temperature (K)

collar temperature (K)

collar temperature (K)

collar temperature (K)

# Theorist's point of view

$$Q_{\text{out}} = 2 \alpha Q_{\text{in}} n_{\text{eff}} (1 - A_{\text{RGA}}) (1 - A_{\text{IBS}})$$

# Experimentalist's Point of View

## What is physically different?

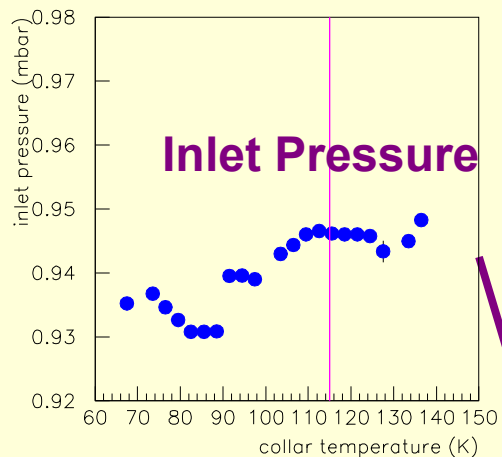
- Dissociator cooling
  - Narrows velocity distribution?  $\Rightarrow$  reduced IBS losses
  - Increases peaking factor?  $\Rightarrow$  more beam into magnets
- Magnet system longer and more open
  - Lower beam density for same beam flow  $\Rightarrow$  reduced IBS losses



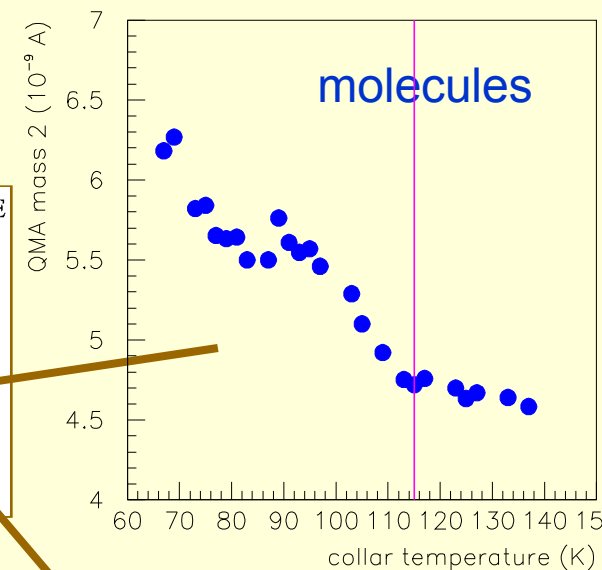
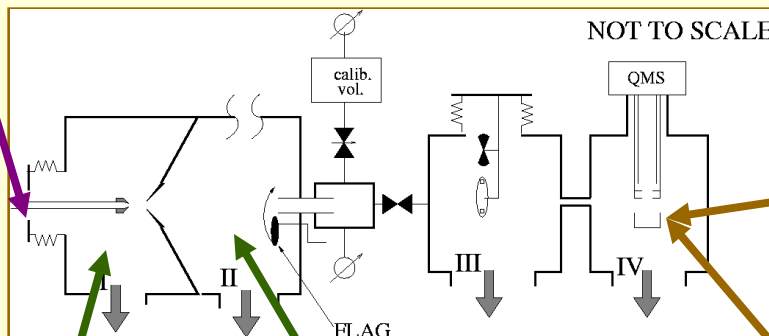
# Peaking Factor

- No evidence from SpinLab that lower collar temperatures produce higher peaking factors!

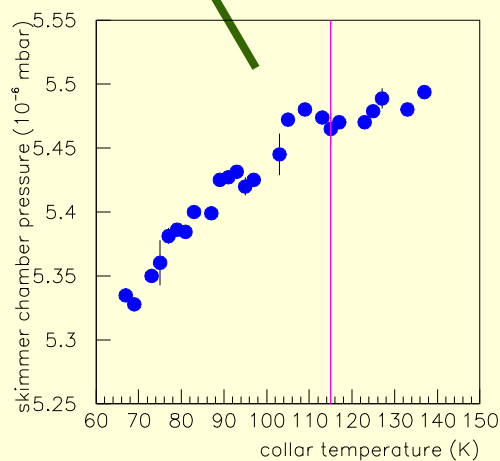
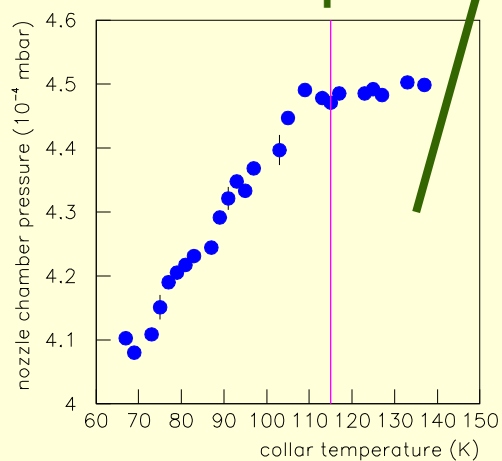
# SpinLab Results



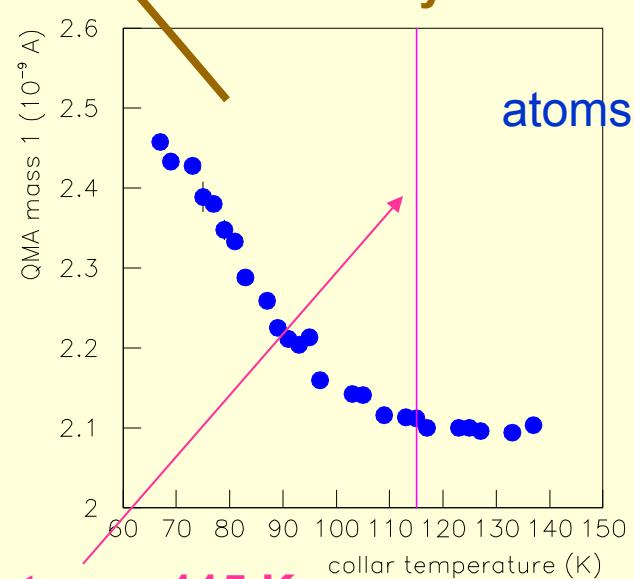
75 sccm H<sub>2</sub> 1.5 sccm O<sub>2</sub>  
4 mm nozzle at 115 K



**Chamber pressures**



**Beam density**

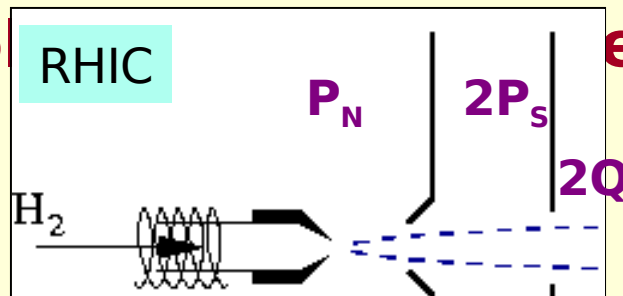


**Nozzle temperature = 115 K**

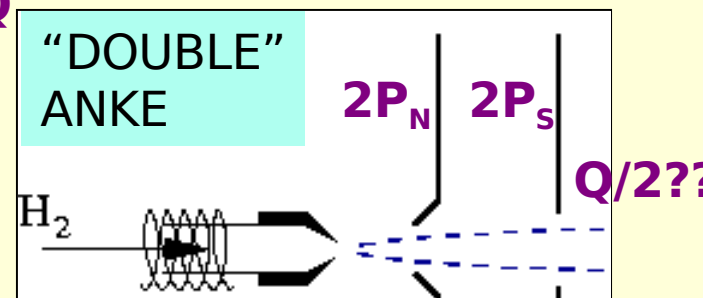
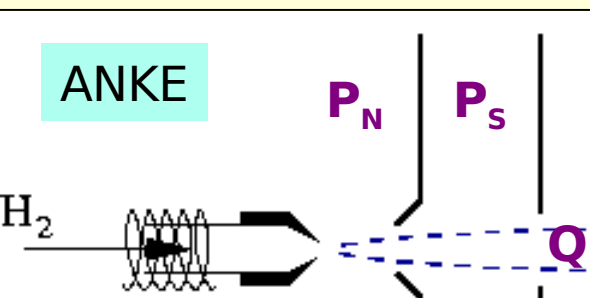
# Peaking Factor

- No evidence from SpinLab that lower collar temperatures produce higher peaking factors!
- If RHIC gains intensity by putting 1.5 times as many atoms into the magnet system, then why is ANKE not able to get more intensity with 1.5 times the input flow?  $\Rightarrow$

**Only possible if the chamber is dominant.**



**the chamber is**



# Theorist's point of view

$$Q_{\text{out}} = 2 \alpha Q_{\text{in}} n_{\text{eff}} (1 - A_{\text{RGA}}) (1 - A_{\text{IBS}})$$

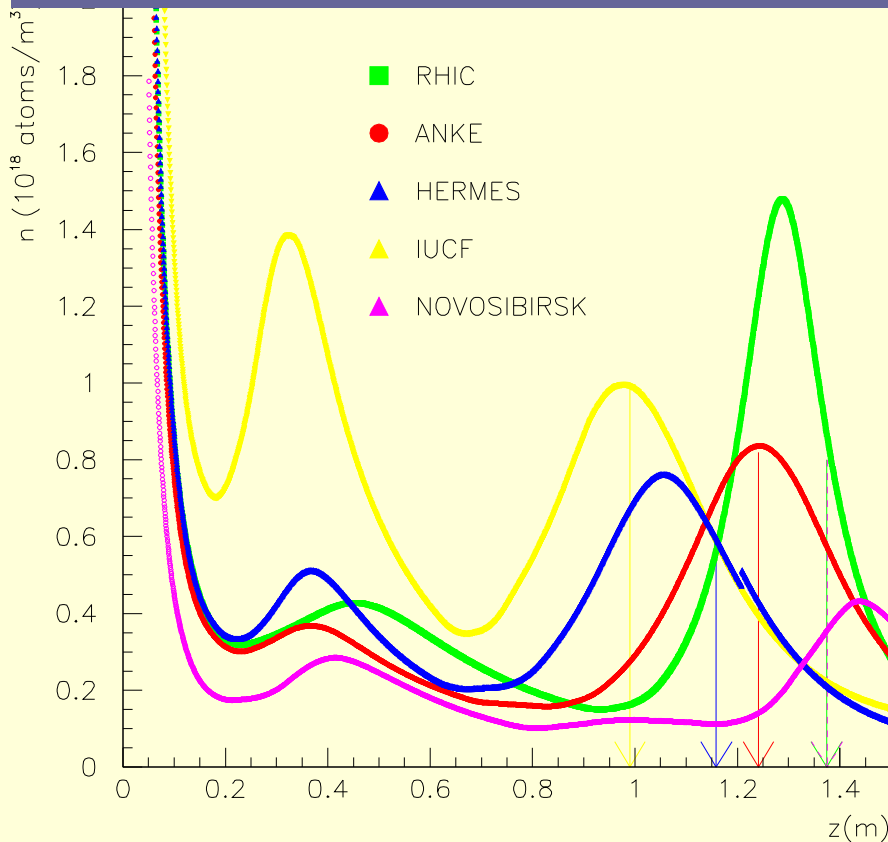
# Experimentalist's Point of View

## What is physically different?

- Dissociator cooling
  - Narrows velocity distribution?  $\Rightarrow$  reduced IBS losses
  - Increases peaking factor?  $\Rightarrow$  more beam into magnets
- Magnet system longer and more open
  - Lower beam density for same beam flow  $\Rightarrow$  reduced IBS losses

# Intra-Beam Scattering

Transverse beam density, calculated with ray tracing program, assuming no attenuation losses and  $n_f=1$



Using the calculated beam density, the losses to IBS can be estimated with the formula below (Stancari, SPIN2004)

Relative velocity ( $\propto T_{\text{beam}}$ )

$$dn = -2\sigma \frac{g}{\bar{v}_B} n^2 dz$$

Average beam velocity

$$\sigma = (75 \pm 25) \times 10^{-20} \text{ m}^2$$

Atomic hydrogen scattering cross section

# IBS numbers

	Hermes	Nov	Wisc	ANKE	RHIC
$g/v_B$	0.24	0.26	0.24	0.23	0.24
$A_{IBS}$ $n_f=1.5,$ $\sigma=75 \text{ A}^2$	0.35	0.26	0.38	0.32	0.38

NOTE: It is assumed here that  $n_f$  is the same for all sources.  
IF  $n_f$  is larger for RHIC, then the IBS losses estimated for RHIC would **INCREASE!**

# Theorist's point of view

$$Q_{\text{out}} = 2 \alpha Q_{\text{in}} n_{\text{eff}} (1 - A_{\text{RGA}}) (1 - A_{\text{IBS}})$$

# Experimentalist's Point of View

## What is physically different?

- Dissociator cooling
  - Narrows velocity distribution?  $\Rightarrow$  reduced IBS losses
  - Increases peaking factor?  $\Rightarrow$  more beam into magnets
- Magnet system longer and more open
  - Lower beam density for same beam flow  $\Rightarrow$  reduced IBS losses

# RGA losses in magnets

- We collect  $10^{17}$  atoms/s and  $t=0.5$
- $>2 \times 10^{17}$  atoms/s enter the first magnet for each spin up and spin down
- SO, we lose  $>3 \times 10^{17}$  atoms/s in the magnet system
- If they all hit the first magnet . . .

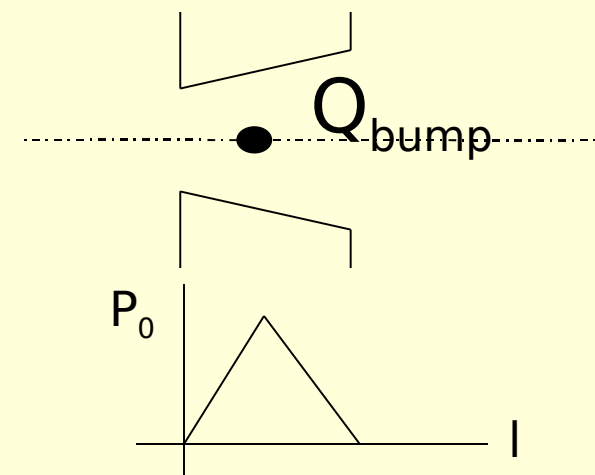
$$Q_{\text{bump}} = 1.5 \times 10^{17} \cdot n_f / (1-A) \text{ mol/s} = (6-30) \times 10^{-3} \text{ mbar l/s}$$

$$P_0 = Q_{\text{bump}} / C_{\text{mag}}$$

$$S_{\text{RGA}} = \exp(-\sigma_{\text{eff}} * (0.5 * P_0 * L) / k_B T)$$

$$= 0.98 - 0.75$$

RGA not negligible in first magnet!  
RHIC's magnet system is different  
than other sources!





# RGA numbers

	Hermes	Wisc	ANKE	RHIC
$P_N$ (mbar)	$1.0 \times 10^{-4}$	$3.4 \times 10^{-4}$	$\sim 10^{-4}$	$2.1 \times 10^{-4}$
$L_N$ (cm)	1.5	2.6	1.5	1.8
$S_1$	0.98	0.85	0.97?	0.95
$P_S$ (mbar)	$1.7 \times 10^{-5}$	$6.5 \times 10^{-5}$	$\sim 10^{-6}$	$0.8 \times 10^{-5}$
$L_S$ (cm)	4.0	2.7	3.0	2.2
$S_2$	0.99	0.97	1.0	1.0
$P_3$ (mbar)	$1.9 \times 10^{-6}$	$1.9 \times 10^{-6}$	$\sim 10^{-7}$	$1.8 \times 10^{-6}$
$C$ (l/s)	9.3	13.4	13.7	18.3
$L_M$ (cm)	3	2.5	4	2.85
$P_0$ (mbar)	$4.5 \times 10^{-4}$	$4.1 \times 10^{-4}$	$3.4 \times 10^{-4}$	$2.5 \times 10^{-4}$
$S_3$	0.88	0.91	0.88	0.94

# RGA numbers

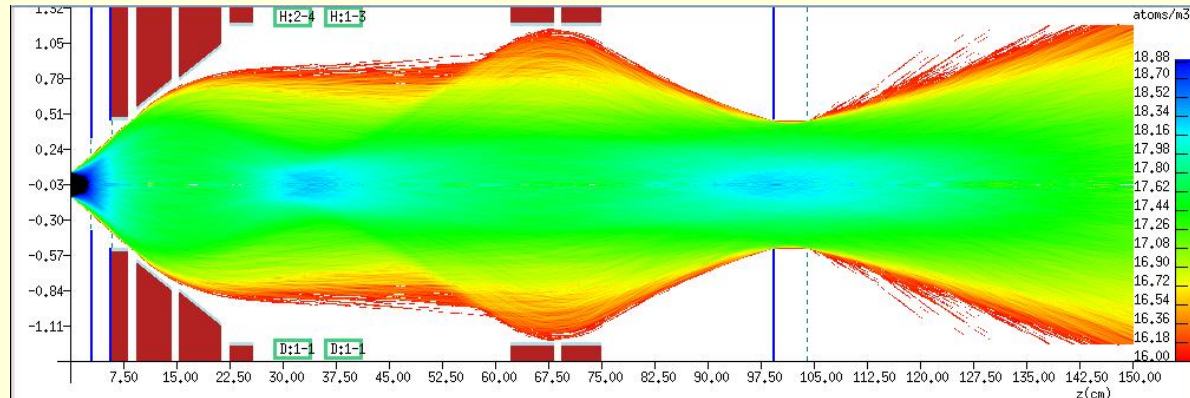
	Hermes	Wisc	ANKE	RHIC
$P_3$ (mbar)	$1.9 \times 10^{-6}$	$1.9 \times 10^{-6}$	$\sim 10^{-7}$	$1.8 \times 10^{-6}$
$Q_{\text{bump}}$ (mbar)	$4.2 \times 10^{-3}$	$5.5 \times 10^{-3}$	$4.6 \times 10^{-3}$	$4.5 \times 10^{-3}$
$Cl(\$/s)$	9.3	13.4	13.7	18.3
$L_M$ (cm)	3	2.5	4	2.85
$P_0$ (mbar)	$4.5 \times 10^{-4}$	$4.1 \times 10^{-4}$	$3.4 \times 10^{-4}$	$2.5 \times 10^{-4}$
$S_3$	0.88	0.91	0.88	0.94

- Attenuation in the first magnet could be significant
- It is the first thing that separates RHIC from the other sources
- Need to include remaining magnets AND

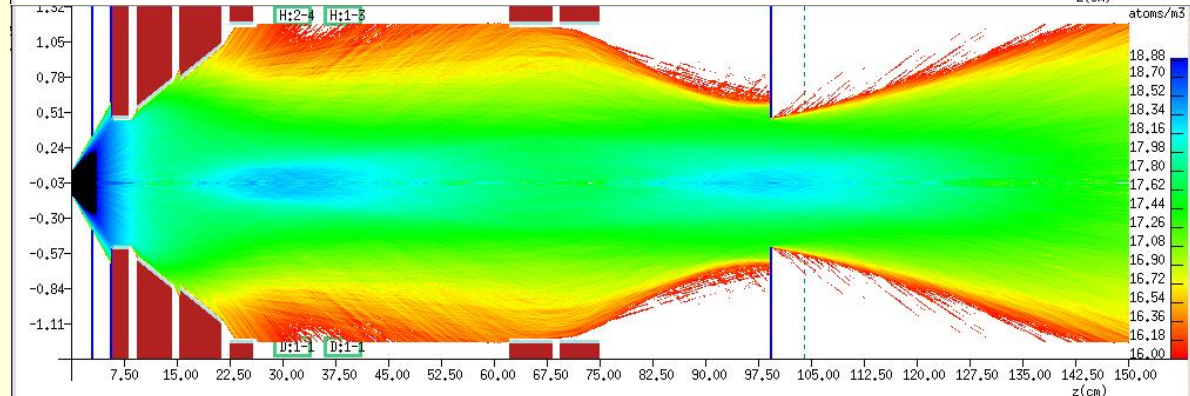
# Toward a serious calculation

## WISC

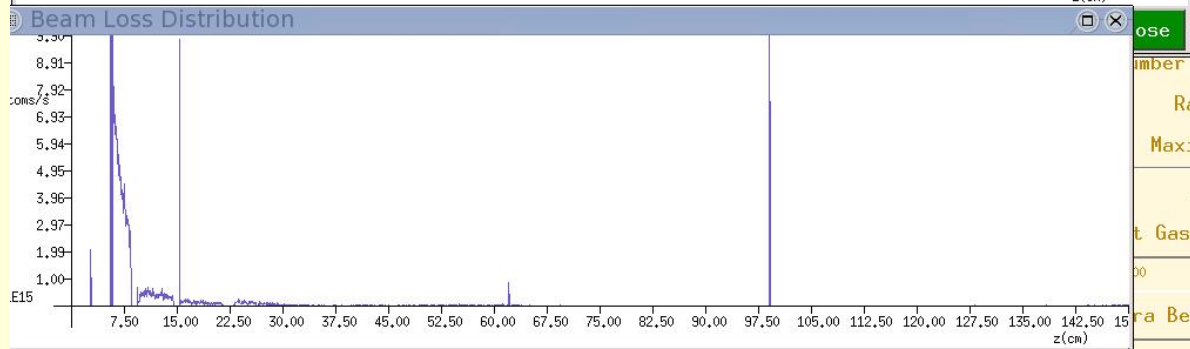
Beam envelope, only atoms which enter target are shown



Beam density profile – all beam atoms are shown



Distribution of “lost” atoms, dominantly defocused ones  
 $10^{15}$  molec/s/mm



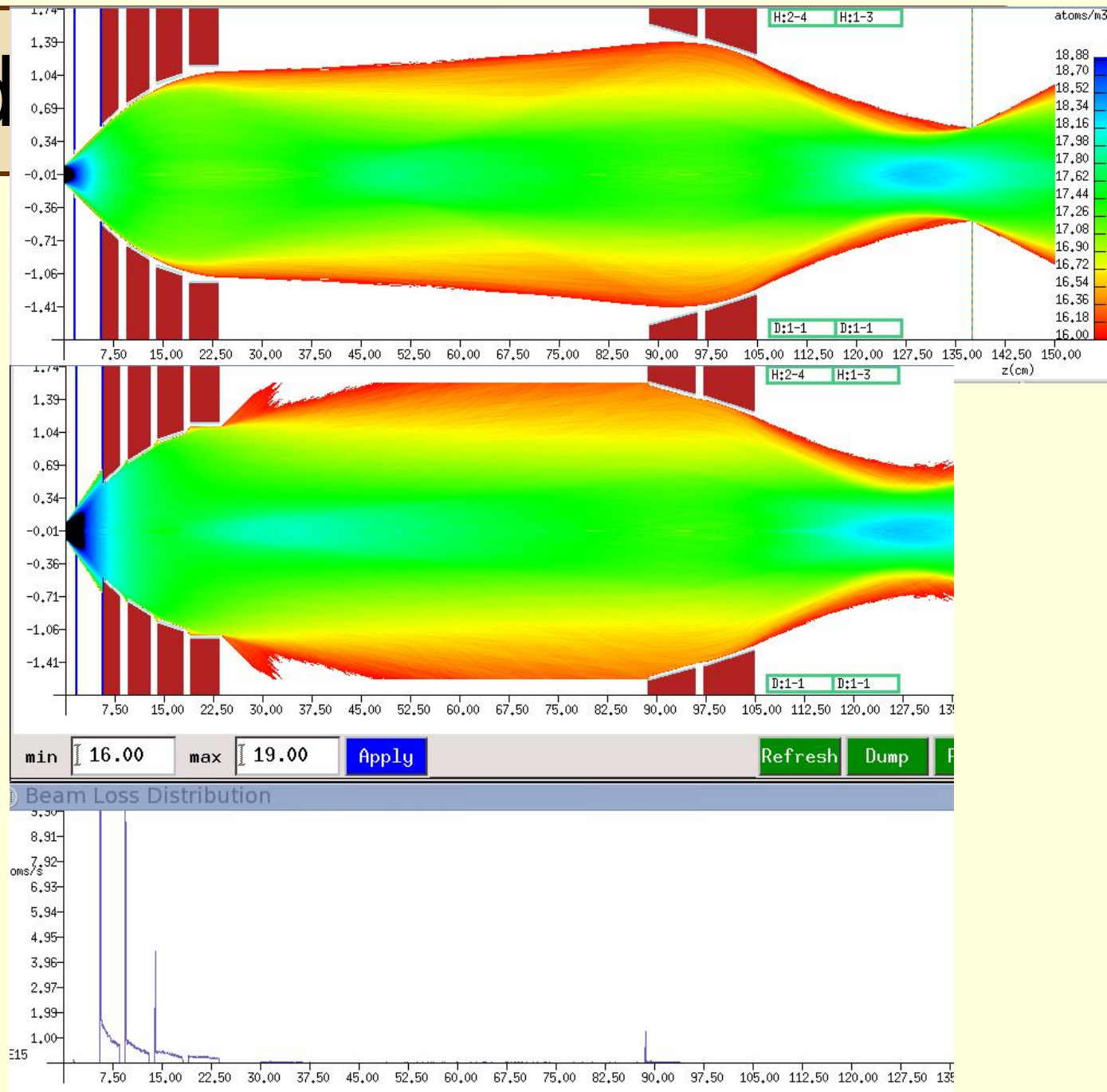
# Toward

## RHIC

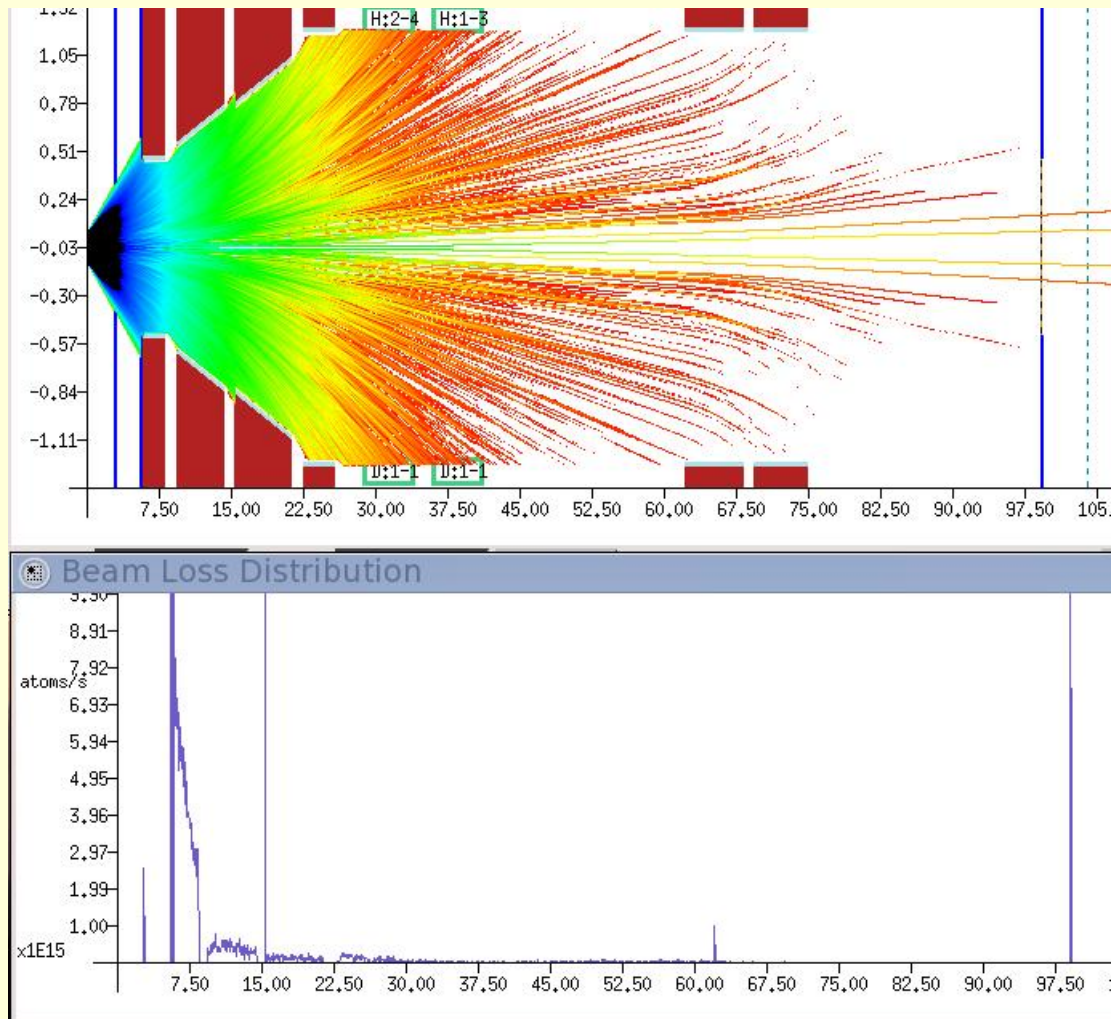
Beam envelope, only atoms which enter target are shown

Beam density profile – all beam atoms are shown

Distribution of “lost” atoms, dominantly defocused ones  $10^{15}$  mol/s/mm



# Defocused atoms WISC



# VERY preliminary

- Use distribution of lost particles
- Put total Q at the center of each magnet
- Assume pressure at either magnet end is the measured chamber pressure.
- Calculate  $P(l)$  and  $\int P dl$
- Calculate  $S_i$  = survival for each magnet
- Ignore losses in drift region and pumping gaps
- $S_{\text{tot}} = \prod S_i$

UNDERESTIMATE OF LOSSES

		mag 1	mag 2	mag 3	mag 4	
	C (l/s) / L (cm)	9.25 / 3	16.7	40.3		
	Q ( $10^{16}$ at/s)	21.0	3.9	0.3		
HERMES	Int(pdl) ( $10^{-4}$ mbar cm)	13.9	1.3	0.1		
	Survival	0.94	0.99	0.99		0.92
	C (l/s)	13.5 / 2.5	18.9	37.8	107	
	Q	43.8	7.0	4.2	1.2	
WISC	Int (pdl)	4.2	1.0	0.3	0.02	
	Survival	0.93	0.98	0.99	1.0	0.90
	C (l/s)	13.7 / 4	33.9	95.6	154	
	Q	28.0	6.8	4.9	1.5	
ANKE	Int (pdl)	4.2	0.7	0.2	0.02	
	Survival	0.93	0.99	1.0	1.0	0.92
	C (l/s)	18.3 / 2.85	36.6	58.4	74.2	
	Q	10.0	8.7	5.7	4.8	
RHIC	Int (pdl)	0.8	0.4	0.2	0.2	
	Survival	0.99	0.99	1.0	1.0	0.98

$$Q_{\text{out}} = 2 \alpha Q_{\text{in}} n_f \text{ft} (1-A)$$

	Hermes	WISC	ANKE	RHIC
$Q_{\text{in}}$ (mbar l/s)	1.5	1.7	1.0	1.0
$\alpha$ (geometrical accept.)	0.82	0.75	0.85	0.85
$t$ (magnet transmission)	0.47%	0.70%	0.85%	0.79%
calculated $Q_{\text{out}}$ ( $A=0; n_f=1.75 \pm$ $0.25$ )	0.48	0.39	0.42	0.49
meas. $Q_{\text{out}}$ ( $10^{16}$ atoms/s)	$11.7 \pm 1.7$	$14.7 \pm 2.1$	$12.8 \pm 1.8$	$13.9 \pm 2.0$
	6.8	7.8	7.5	12.4

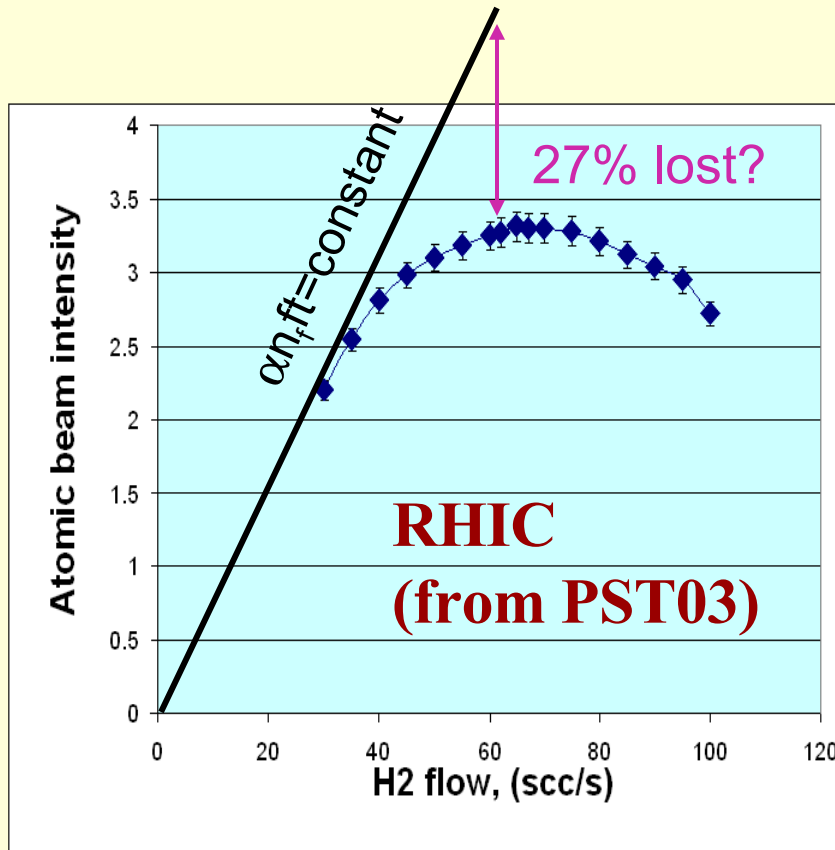
Attenuation must account for these differences



# What next?

- RGA in first magnet is the only reasonable explanation of higher RHIC intensity so far.
- **Let's test it . . .**
  1. **Wisconsin source (ABS2)**
    - add a collimator to reduce the acceptance of the first magnet and compare measurements and predictions
    - measure intensity as a function of input flow
  2. **Ex-HERMES source**
    - measure intensity as function of input flow.
    - KEY – velocity distribution and alpha already known

# RHIC source



When the input flow increases,

- The forward peaking of the beam does not change (Stancari, PSTP2007)
- The velocity distribution narrows
- The mean beam velocity remains constant
- Yet the fraction of beam lost increases dramatically – must be attenuation!

TEST #2: Predict and measure this curve for ex-HERMES ABS

# Future Lab Activities

- Gauge calibration for finned tube measurements and (?) attenuation losses in Injection Tube as overall limitation on target thickness
- Complete collar temperature studies
- **Optical diagnostics**
- IBS measurement using transitions with ABS2
- Trumpet nozzle tests